

Towards an improved estimation of the biological components of residual feed intake in growing cattle

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Outline

Motivation

Opening the black box

Objectives

Data available

Preliminary evidences

Phenotypic Models (PM)

Results PM

Genetic Models (GM)

Results GM

Conclusions

Motivation

Feed is expensive !

Environmental footprint ...



Feed efficiency



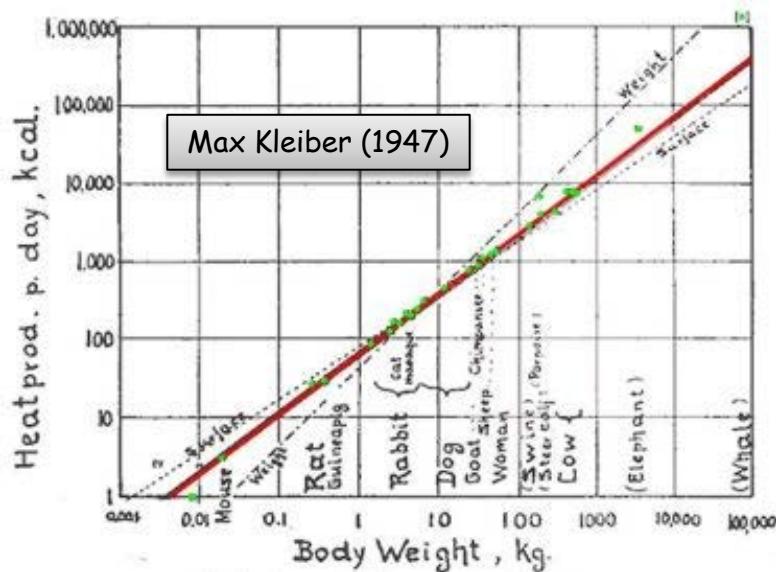
Motivation

Many definitions...
...ratio & residual traits



Motivation

Feed conversion ratio
is easy and simple, but...



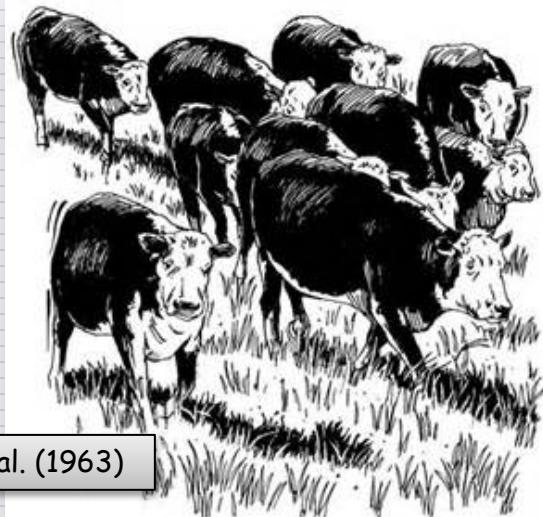
Motivation

Residual feed intake
has interesting properties, but...

Byerly (1941)

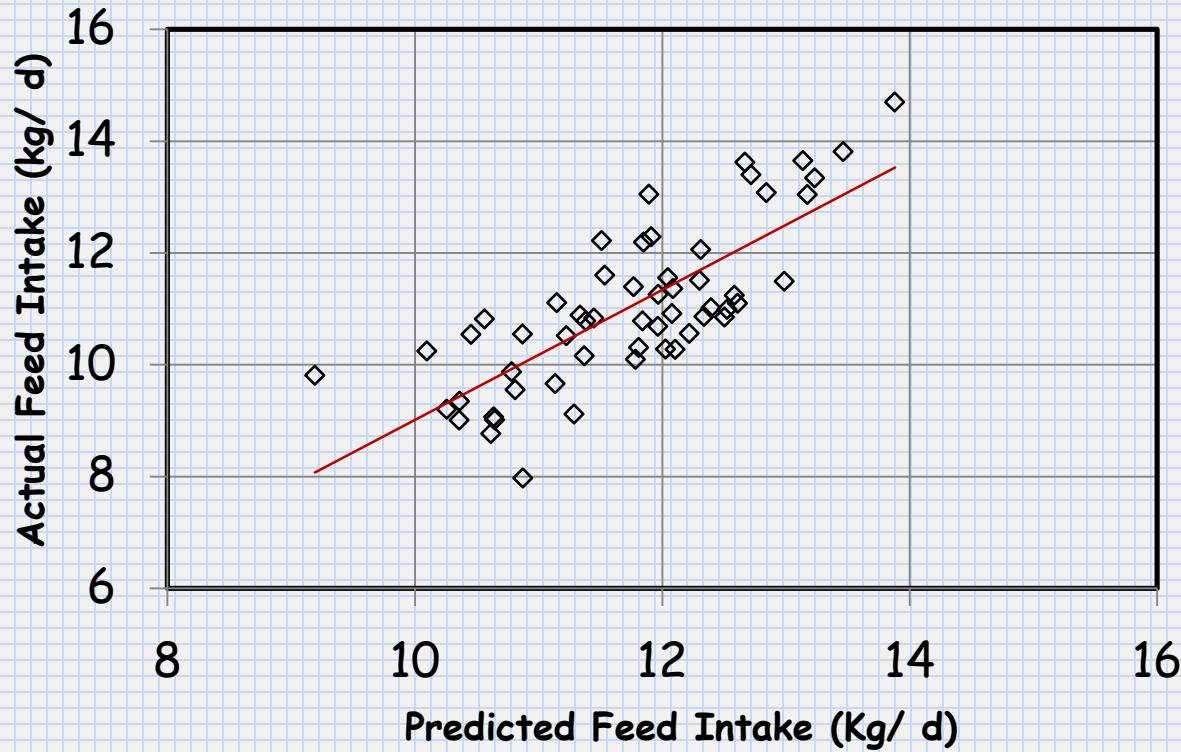


Koch et al. (1963)



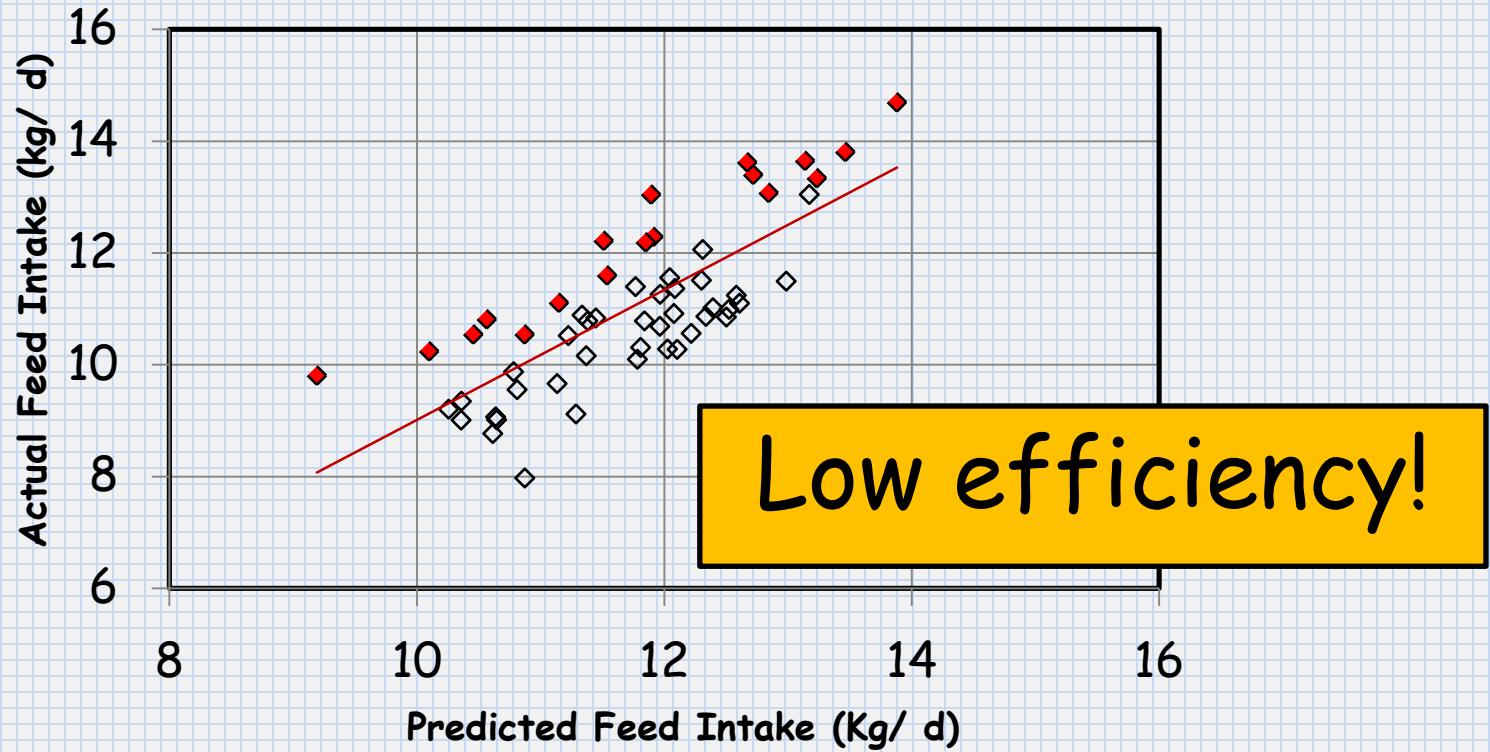
Opening the black box

$$FI_i = \mu + b_0 \cdot BW_i^{0.75} + b_1 \cdot ADG_i + e_i$$



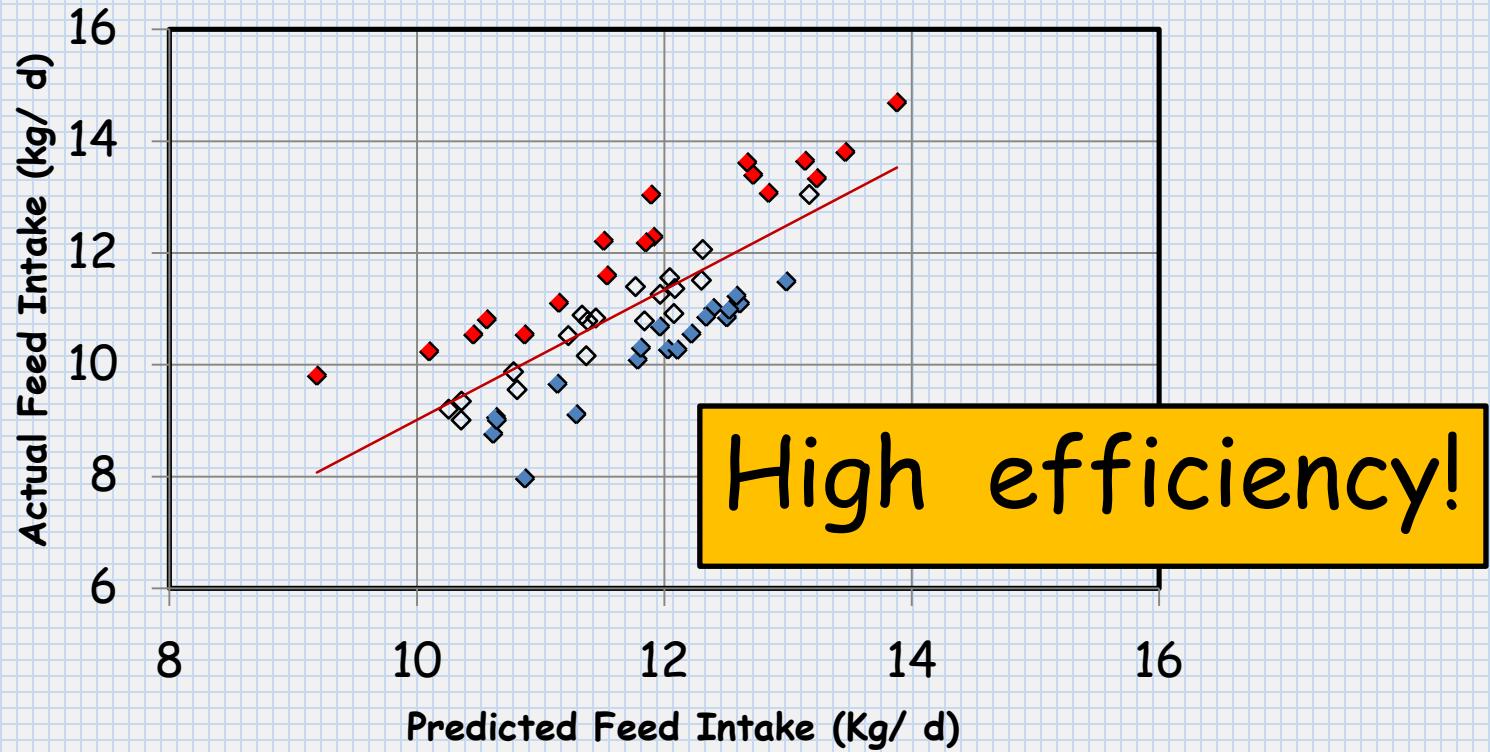
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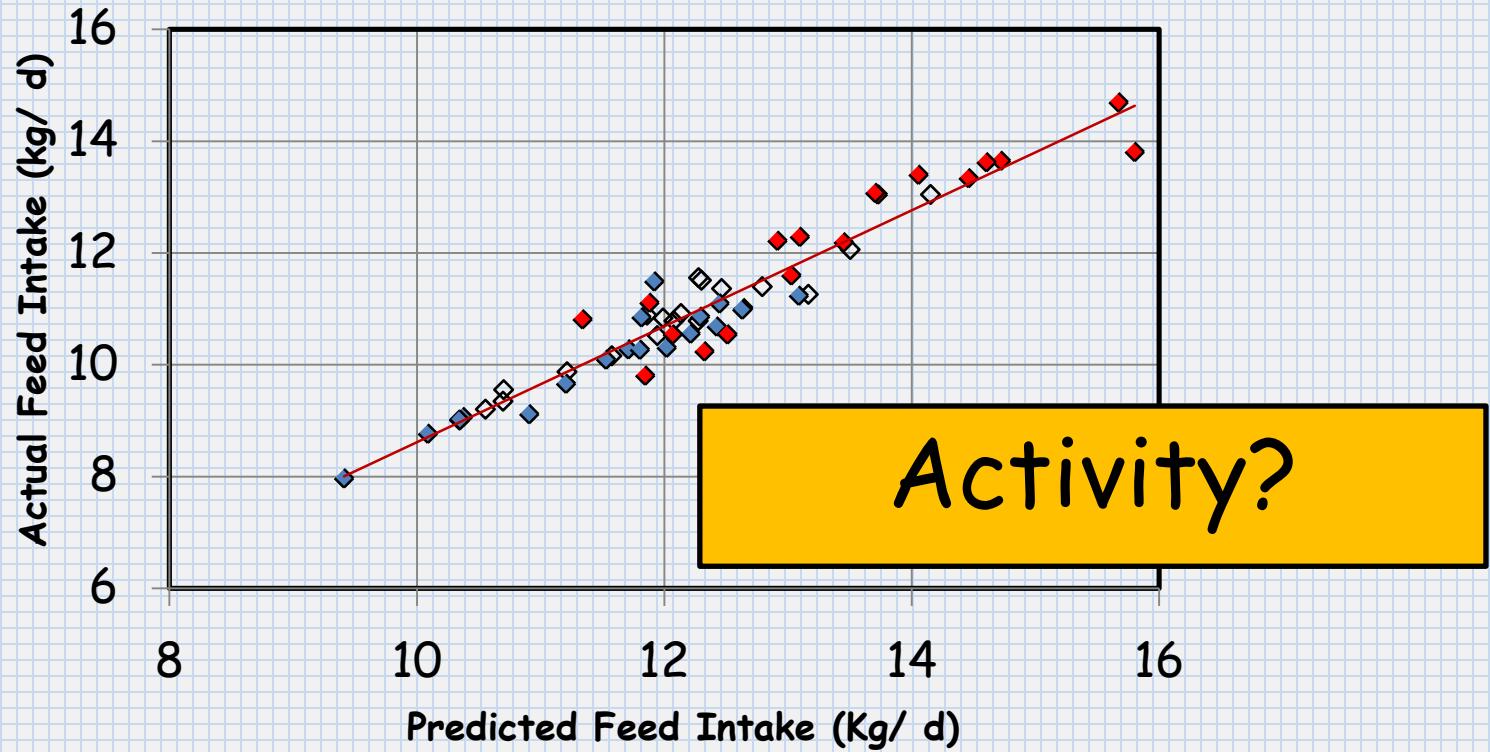
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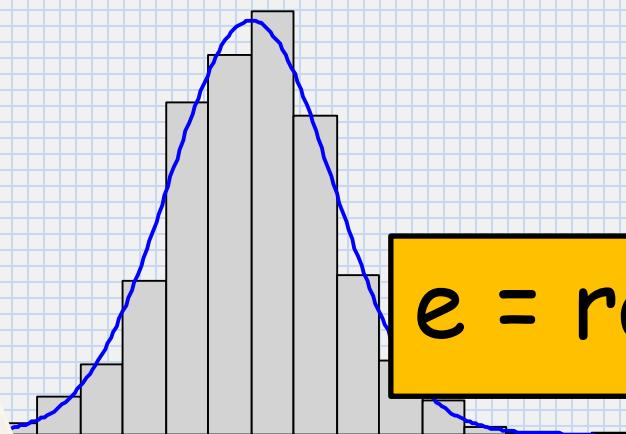
Opening the black box

$$FI_i = \mu + b_0 \cdot BW_i^{0.75} + b_1 \cdot ADG_i + b_2 \cdot FAT_i + e_i$$



Opening the black box

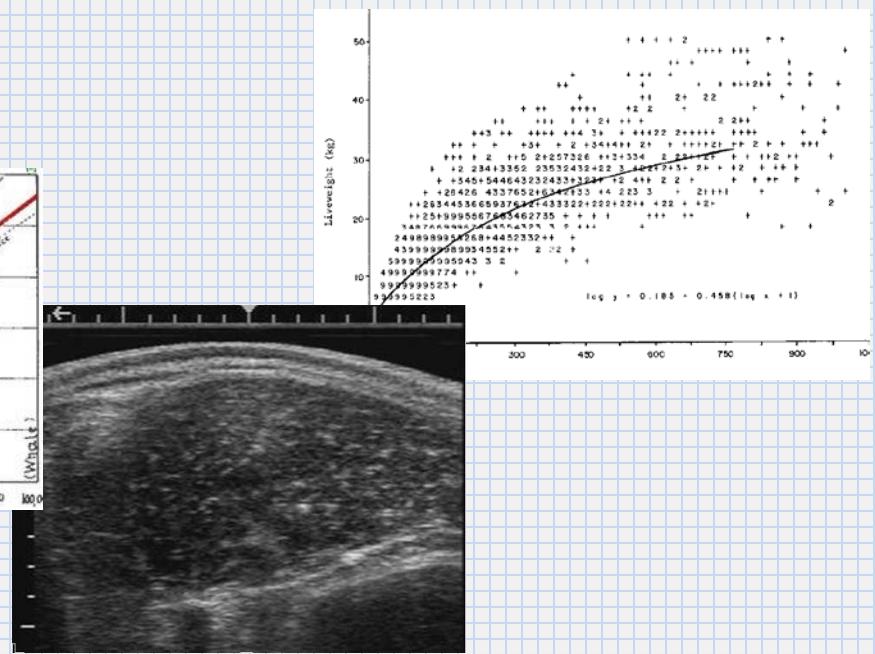
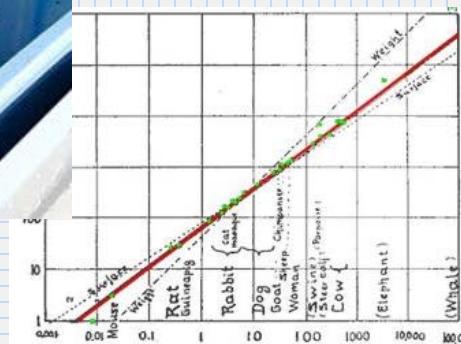
Correct model &
variables are error free



e = random noise

Objectives

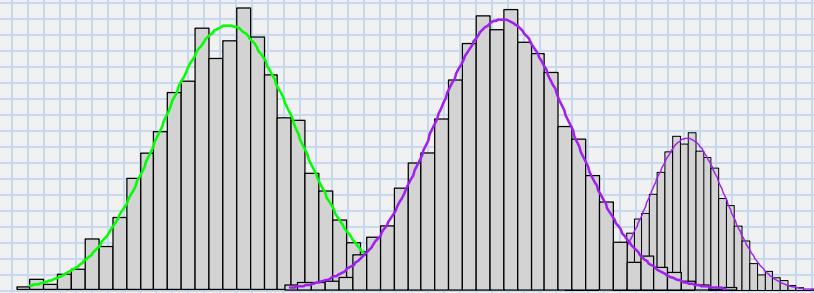
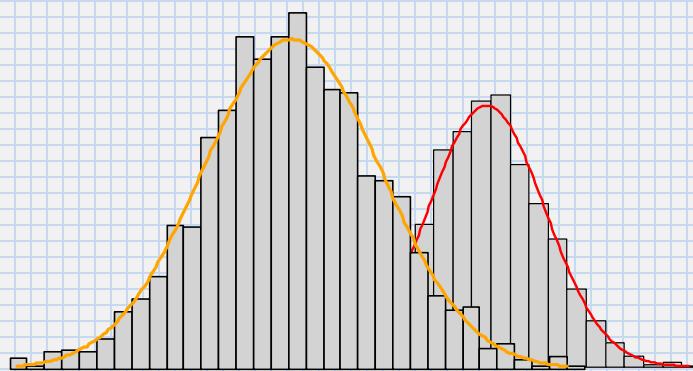
Precise estimate feed intake
from limited information



Objectives

Residuals are random noise

$$FI_i = \mu FI_0 + b_{0d} \cdot BW_i^{0.75} + (b_{Q1} A + D G_{1a}) \cdot A e D G_i + e_i$$





Data available

1,963 bulls

69 Contemporaneous Group

314 d old & 456 kg

70 d on test

CI, BW* and FAT

*MTW & ADG

Preliminary evidences

Table 1 - Summary statistics by breeds

Traits	AN n = 183	CH n = 485	HE n = 100	LI n = 821	SI n = 374
CI (kg/ d)	11.71 ^c	11.38 ^b	11.56 ^{bc}	10.19 ^a	12.24 ^d
MTW (kg ^{0.75})	108.4 ^a	117.2 ^b	107.8 ^a	108.3 ^a	118.1 ^b
ADG (kg/ d)	1.63 ^a	1.75 ^b	1.74 ^b	1.60 ^a	1.74 ^b
FAT (cm)	0.552 ^c	0.256 ^a	0.559 ^c	0.249 ^a	0.316 ^b
RFI (kg/ d)	0.332 ^c	-0.124 ^{ab}	0.025 ^b	-0.205 ^a	0.443 ^c

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Phenotypic Models (PM)

Basic models

$$[P1] CI_i = b_0 \cdot MTW_i + e_i$$

$$[P2] CI_i = b_0 \cdot MTW_i + b_1 \cdot ADG_i + e_i$$

$$[P3] CI_i = b_0 \cdot MTW_i + b_1 \cdot ADG_i + b_2 \cdot FAT_i + e_i$$

Phenotypic Models (PM)

No great expectations

$$[P5] CI_i = [P3] + b_3 \cdot MTW \times ADG_i + e_i$$

$$\text{MAYBE} = \frac{\text{YES}}{\text{NO}} + \frac{\text{NO}}{\text{YES}}$$

Phenotypic Models (PM)

Composition affects maintenance

$$[P4] CI_i = [P3] + b_3 \cdot MTW \times FAT_i + e_i$$

121

Proc. Nutr. Soc. (1981), 40, 121

The energetic efficiency of metabolism

By A. J. F. WEBSTER, Department of Animal Husbandry, University of Bristol, Langford House, Langford, Bristol BS18 7DU

The efficiency with which an animal can utilize the metabolizable energy (ME) contained in the food it eats is determined by the amount of heat (H) it produces in metabolism. This paper is devoted to an analysis of the factors which affect H in animals. The topic is of perennial interest to students of both animal and human nutrition concerned respectively with the efficient use of animal feedstuffs by livestock and with problems experienced by man in maintaining energy balance through adult life.

There are three ways by which one can approach the analysis of metabolic heat production. (1) Analysis by external inputs. Analysis of H according to measurable variables in the whole animal and its environment, namely size of animal, quantity and quality of food intake, behaviour and activity and the thermal environment. (2) Analysis by internal output. Analysis of H according to substrate kinetics and the rate of excretion. (3) Analysis by internal output. Analysis by internal output.

Livestock Production Science 73 (2002) 131–138

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Efficiency of use of body tissue energy for milk production in lactating dairy cows

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^bThe Queen's University of Belfast, Belfast, Northern Ireland, UK
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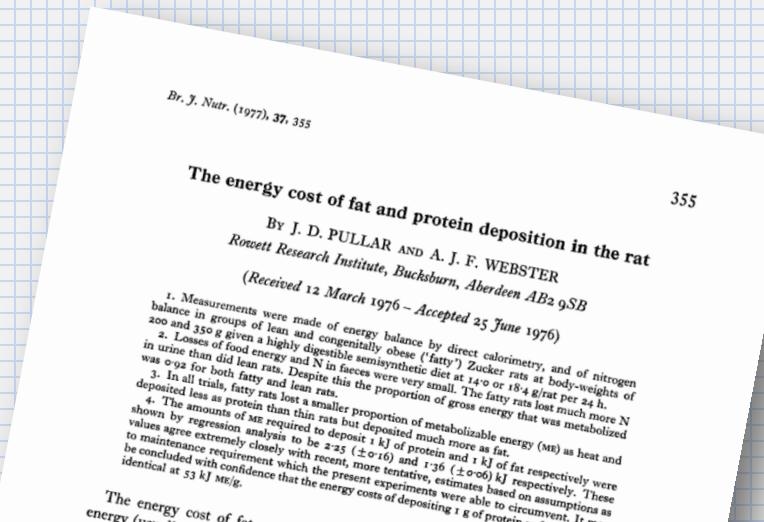
Abstract

The objective of the experiment was to examine a novel approach of determining the efficiency of utilization of body tissue energy for milk production (I_{MTW}) on a within cow basis and using a limited number of animals treated similarly. Six lactating Friesian dairy cows (mean milk yield 19.6 kg/day; days in milk 178) were subjected to measurements of energy intake using indirect calorimetry. Cows remained in the calorimeter for a total of 9 days during which two levels of metabolizable energy intake (ME_{intake}) were offered (either sufficient to meet requirements for zero tissue balance, days 1–3, or reduced by 70 MJ ME, days 4–9). The mean values across days 1–3 and days 4–9 were used in two regressions. In method (1) a multiple regression relationship was developed to derive metabolizable energy requirements (ME_{req}). The efficiency of use of ME_{intake} for milk production (I_{MTW}) in method (2), a logistic relationship between heat production and ME_{intake} was developed. The results derived from methods (1) and (2) were compared. The coefficient of variation for the quantity of milk energy produced from body tissue was subsequently I_{MTW} . The values were 0.0685 and 0.052 (S.D. 0.0537) using the two methods. © 2002 Elsevier Science B.V. All rights reserved.

Phenotypic Models (PM)

Composition of gain has different cost

$$[P6] CI_i = [P3] + b_3 \cdot ADG \times FAT_i + e_i$$



Results PM

Table 2 - Partial regression coefficients

Model	MTW	ADG	FAT	MTW×ADG	MTW×FAT	ADG×FAT	R ²
P1	0.093	0.691
P2	0.081	1.887	0.760
P3	0.080	1.899	1.132	.	.	.	0.764
P4	0.104	3.471	1.167	-0.014	.	.	0.765
P5	0.080	1.900	1.254 ^{NS}	.	-0.001 ^{NS}	.	0.764
P6	0.080	1.831	0.758 ^{NS}	.	.	0.213 ^{NS}	0.764

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Genetic Models (GM)

P3 was the base model

$$[G1] CI_i = [P3] + a_i + e_i$$

$$[G2] CI_i = (b_0 + b_{0a}) \cdot MTW_i + \dots + a_i + e_i$$

$$[G3] CI_i = (b_1 + b_{1a}) \cdot ADG_i + \dots + a_i + e_i$$

...

$$[G8] CI_i = (b_0 + b_{0a}) \cdot MTW_i + (b_1 + b_{1a}) \cdot ADG_i + (b_2 + b_{2a}) \cdot FAT_i + a_i + e_i$$

Results GM

Table 3 - Additive and residual variances

Model	a_i	$b_{0a} \cdot MTW$	$b_{1a} \cdot ADG$	$b_{2a} \cdot FAT$	e_i	h^2	AIC
G1	0.317	.	.	.	0.315	0.50	1174.6
G2	0	0.00004	.	.	0.178	0.72	1137.3
G3	0.222	.	0.035	.	0.306	0.52	1172.8
G4	0.299	.	.	0.212	0.308	0.51	1175.2
G5	0	0.00004	0	.	0.178	0.72	1139.3
G6	0	0.00004	.	0.173	0.170	0.73	1138.1
G7	0.218	.	0.032	0.137	0.302	0.52	1174.2
G8	0	0.00004	0	0.173	0.170	0.73	1140.1

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Conclusions

Limited information limits modelling

- Costs related to composition
 - Animals close to maturity
 - Dairy cows

Random regression

- Differences in CI related to MTW
 - Similar to findings on gene expression
 - Probably less complex to understand