

# State-of-Arts Views on Response Control Technologies on Metal Space Structures

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## Abstract

Recently various kinds of passive response control techniques are taken into practice for buildings in seismic areas, and they start affecting on the architectural design itself. These trend affects also on spatial structures, and application of such techniques to domes, truss structures, or tension structures are recently increasing. Following previous discussions [1], this paper firstly present the recent varieties of architectural expressions using seismic response control technologies in buildings. Then, several important progresses in the application of passive control technology for metal spatial structures are introduced by referring recently realized projects, followed by discussions on their response characteristics and easy response evaluation methods.

**Keywords:** Response control, Seismic isolation, Damper, Dome, Cylindrical Shell

## 1. Introduction

Recently various kinds of passive response control techniques are taken into practice for buildings in seismic areas, and more than 80% of high-rise buildings designed after 1990 in Japan, for example, employs energy dissipation devices for reducing response against severe earthquake or heavy winds. Also the number of seismically isolated buildings exceeds 2,000. In normal buildings, they are divided into two categories. The first is seismic isolation, which 1) increases own periods by supporting the base of the buildings by rubber bearing, and 2) reducing response by adding dampers at the base. The second is passive controlled techniques realized by 1) designing main frames relatively soft and 2) adding dampers in each story. However, their border is becoming unclear along the developments of variety in architectural design using these techniques. Such trend also affects on spatial structures, and application of various kinds of response control techniques to domes, truss structures, or tension structures are recently increasing as introduced in previous paper (Takeuchi *et al.* [1]). This paper firstly present the recent varieties of

architectural expressions using seismic response control technologies in buildings. Then, several applications of passive control technology for metal spatial structures are introduced by referring recently realized projects, with their easy response evaluation methods proposed by authors.

## 2. Architectural expressions using seismic response control techniques

Expanding the numbers of applications, varieties of architectural expressions using seismic control techniques are also expanded. For example, designs as followings are appearing.

### 2.1. Application for fragile structures

Seismic isolation system enables to realize fragile structures which have not been possible in heavy seismic zones. Figure 1 is the boutique building constructed in Tokyo, in which the façade glass frames are supporting each floors (Nakai [2]). They also designed to resist elastically against the horizontal force produced by heavy seismic inputs. For reducing the seismic response and minimizing the frame member sizes, seismic isolation system was introduced. Figure 2 is a traditional brick building recently re-constructed with seismic isolation system, after its original construction in 115 years ago and demolished because of the poor seismic performance. Figure 3 is the flat-slab frame with slender columns also realized by introducing seismic isolation. As such, design freedom is expanding using these techniques.

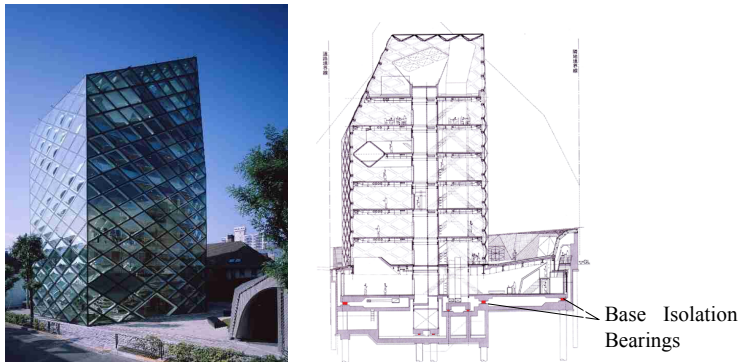


Figure 1: Prada boutique Aoyama



Figure 2: Mitsubishi Ichigokan

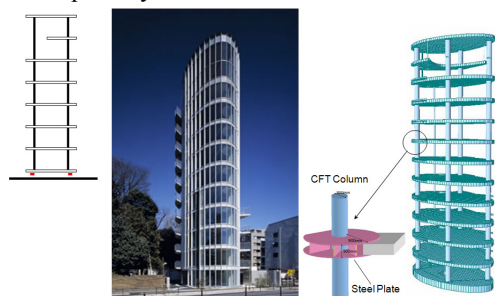


Figure 3: Igrek Shirokane

## 2.2. Mid-story isolated structures

Applications inserting seismic isolation bearing at mid-level of the structure, not at the base, are also appearing. Figure 4 is an example which piling the office block above hotel block. Large open atrium is placed at the lower part, and office block is supported by slender columns beside the atrium. Seismic bearings placed between the two blocks reduce the shear-force working on the office block, realizing this structure. Figure 5 shows mid-story isolated structure is used for retrofitting. This building is originally constructed with 2-stories, and upper 5-story steel structure is added with inserting isolation bearings in-between. Although the response characteristics of mid-story isolated structures are complicated because of the amplification produced by lower structure, architectural merits which enables different modules placed vertically on line leads to the increase of applications.

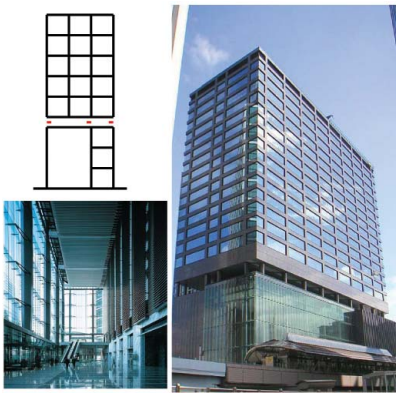


Figure 4: Shiodome Sumitomo building

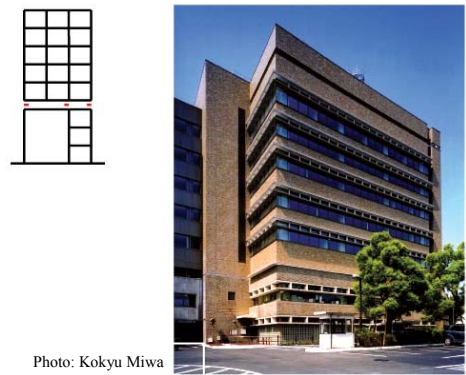


Photo: Kokyu Miwa

Figure 5: Musashino disaster mitigation center

There are another investigations on “step-over isolation”, in which extension structures are placed over the existing structures with slender columns as shown in Figure 6, producing long natural periods around 3 sec. without isolation bearings. It is confirmed that the shear-force introduced into existing lower structures are not increased but slightly reduced because of the energy-dissipation effect of dampers placed in-between (Takeuchi *et al.* [3]).

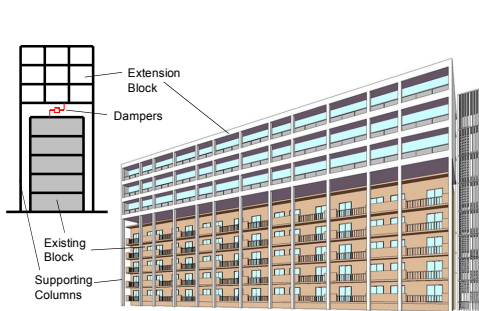


Figure 6: Step-over isolated extension

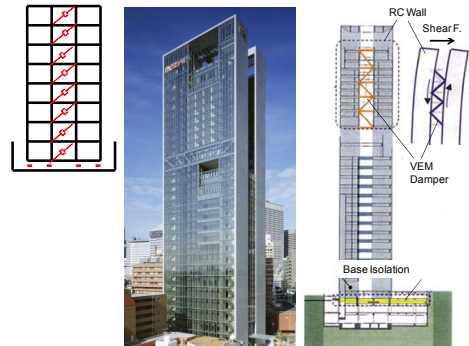


Figure 7: Yoyogi-seminar tower

### 2.3. Combined systems and other new structural forms

Some structures start to hire both of base-isolation system and passive control. Figure 7 is a school buildings with base isolation system, also introduces visco-elastic dampers at higher levels to reduce vibration produced by wind forces. In these structures, the border between the two systems is becoming unclear. New structural forms as in Figure 8, 9 are also appearing. Structure in Figure 8 places isolated bearing at the top of concrete core-wall, suspending all floors from the top allowing pendulum isolation mechanism (Nakamura *et al.* [4]). This system can realize much longer natural periods than ordinary base-isolation systems, and obtain stable reaction mechanism using  $P\Delta$  effects. Figure 9 shows the building using the accommodation floors as mass-damper system, allowing floor structures slipping against the main structures and dissipating the vibration energy by the frictions and the damping of the bearings. As such, many varieties of structures are investigated using seismic response control techniques.

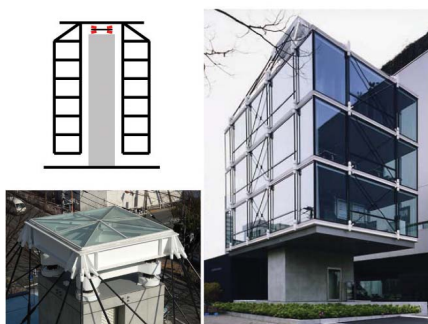


Figure 8: Core-suspended isolation system

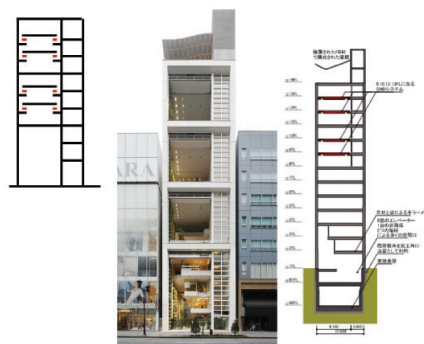


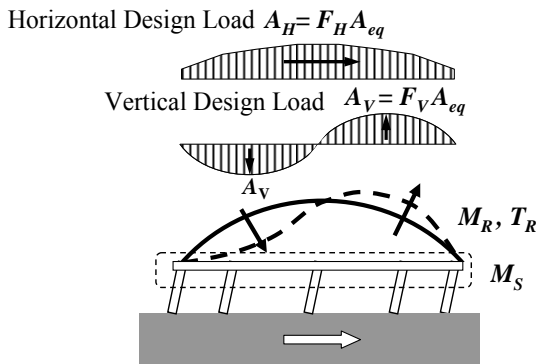
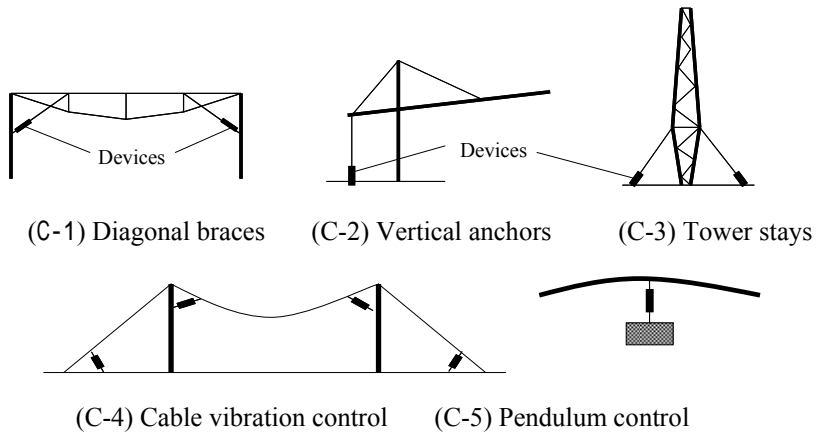
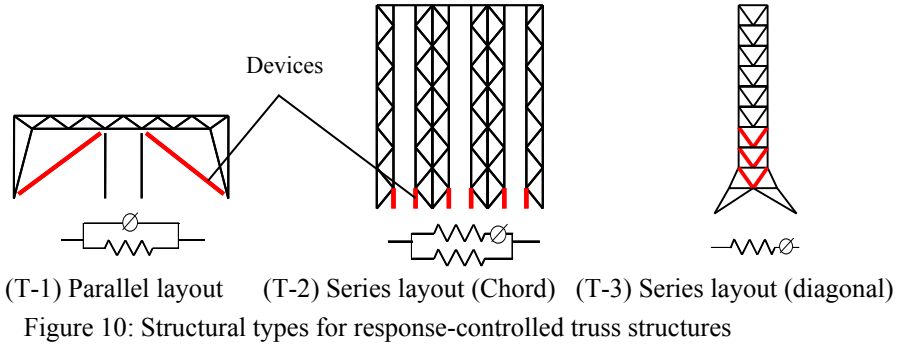
Figure 9: Floor mass dampers

## 3. Applications to spatial structures

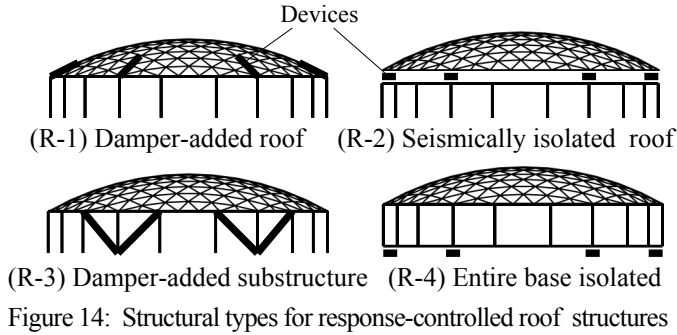
### 3.1. Categories for structural types and typical examples

These design variations affects on spatial structures application examples of seismic response control techniques for latticed domes, shells, trusses, and cable structures are increasing. In previous paper [1], they are divided into a) truss structures, b) tension structures, and c) dome and shell structures, and categorized these structural types as in Figure 10, 11, and 12 respectively. In Figure 10, the layout patterns of the seismic energy dissipation devices for truss structures are shown. In (T-1), the devices are installed parallel to the main frame, while in (T-2), each chord member is replaced by a corresponding device in each truss column. (T-3) shows another layout for replacing the diagonal members to energy dissipation devices.

Figure 11 shows the typical layouts for cable structures. Parallel layouts (C-4) are often used as cable stays of bridges, and viscous or visco-elastic materials are used in the energy dissipation devices. For the series layout (C-1,2,3), devices are often required to maintain







the pre-tension forces introduced in the cable. Devices layouting viscous or visco-elastic material with elastic springs in parallel are proposed and applied for several realized projects (Takeuchi *et al.* [5]).

For roof structures, it is well-known that the seismic responses of raised lattice domes or shells amplify vertical vibrations even when subjected to a horizontal input. This acceleration can be roughly modeled as a combination of horizontal and vertical distributions, as shown in Figure 12. They can be a factor of seismic damages, not only structural, but non-structural elements as ceiling and suspended lightning equipments (Figure 13). Introducing seismic response control techniques as shown in Figure 14 are reported to be effective to reduce such damages. Especially the seismically isolated roofs, as shown in Figure 7 (R-2), has been practically implemented in many projects. In Japan, this system has been implemented in the Saitama Super Arena, Yamaguchi Kirara Dome (Hitomi *et al.* [6], Figure 15), Hiraga Dome (Figure 16), and Kyoto Aqua Arena etc. Laminated rubber bearings are used for supporting these roofs, reduction in the seismic responses and thermal stresses. On contrary, friction pendulum bearings are often used in United States, and applied to projects as terminal roof of the Istanbul Ataturk International Airport. In China, various kinds of seismic isolation bearings are under developing, and the Ovsatory building in Shanghai International F1 Circuit is one of representative application examples.



Figure 15: Yamaguchi Kirara dome



Figure 16 Isolation bearings at Hiraga dome

(R-3) in Figure 14 is also one of the most popular application type. Figure 16 shows the Symokita Dome (Hitomi *et al.* [6]); in which, hysteretic damper braces are inserted into the supporting structure as well as the in-plane of the roof. (R-3) types are also expected to be used for the seismic retrofit of aged school gymnasium buildings with poor seismic performances, by replacing the existing diagonal braces into energy dissipation braces.

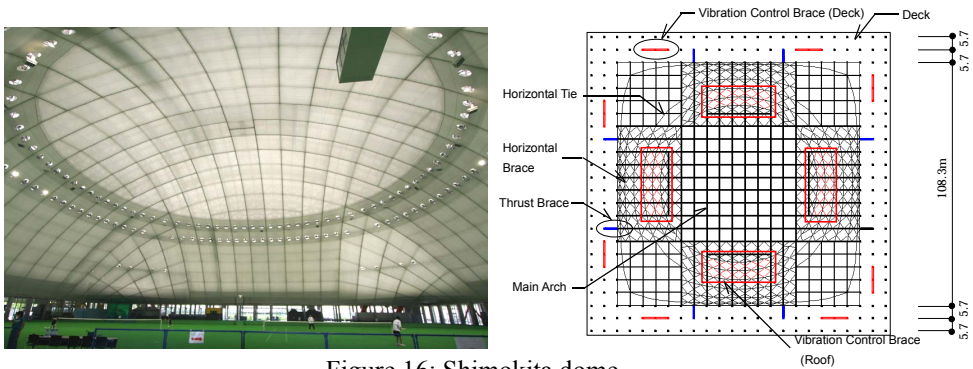


Figure 16: Shimokita dome

### 3.2. Response Reduction Effects and Easy Evaluation Methods

Response reduction effects of seismically isolated roofs (R-2 types) have been parametrically studied by (Kato *et al.* [8], Xue *et al.* [9], Takamatsu *et al.* [10]) and many other researchers. Roofs with damper-added substructure (R-3 types) have also been parametrically studied by (Yamada *et al.* [11], Takeuchi *et al.* [12]) and others. Some of their research includes easy evaluation methods for seismic response with these techniques, and they are helpful for preliminary design. On the followings, general findings for seismically isolated roofs (R-2 types) and roofs with damper-added substructure (R-3 types) are summarized and easy evaluation methods for these structures proposed by authors are introduced.

#### 3.2.1. General Characteristics and Response evaluation for seismically isolated roofs with substructures

Figure 17 shows a typical analytical model of raised lattice domes (60m span, half-subtended angle  $\theta=30^\circ$ ) with substructure. Seismic isolation bearings composed of isolator (horizontal elastic spring) and dampers (viscous dampers or elasto-plastic dampers) are inserted between the dome and substructure. Natural period of the asymmetrical one-wave mode for the dome  $T_D$  is about 0.3 sec, and isolators are designed as  $T_I=3.0$  sec without dampers. Response accelerations distributions of this model along the ridge of the roof (AOA' in Figure 17) obtained from time-history analyses are compared in Figure 18 between ordinary domes without isolator, isolated with viscous dampers, and elasto-plastic dampers. As shown in the Figure, maximum acceleration responses of isolated roofs are reduced to 1/3 to 1/7 of ordinary roofs both in horizontal and vertical accelerations, and their response reduction effects are significant.

To obtain effective response reduction, the following points are found to be important.

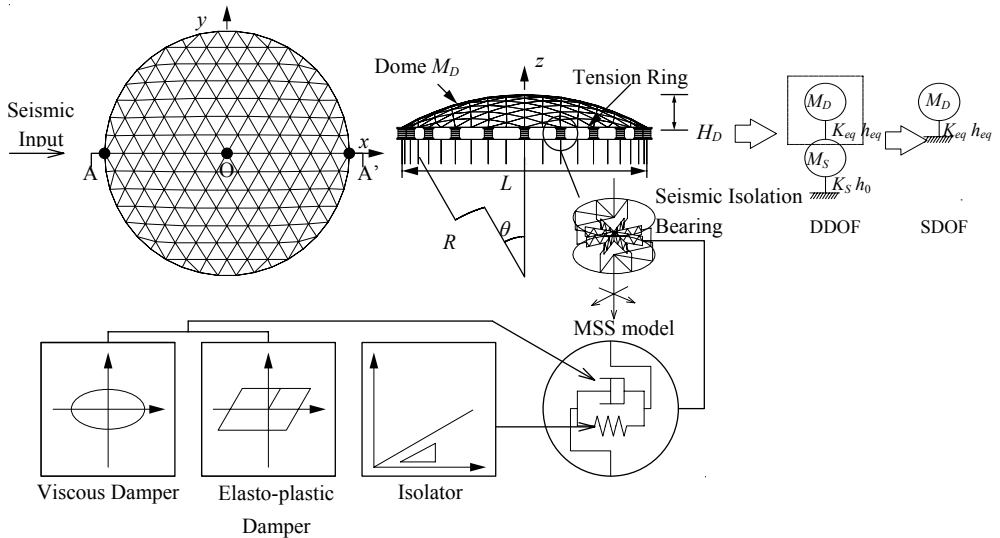


Figure 17: Seismically isolated dome with substructures

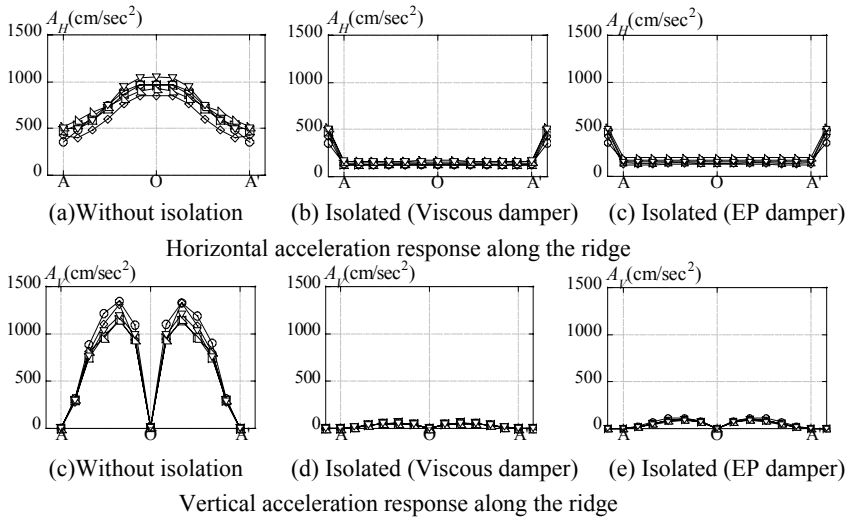


Figure 18: Response Reduction Effects by Seismic Isolation System

- 1) Designing natural period of isolation bearings much longer than the first natural period of the roof (generally asymmetrical one-wave vibration modes) is essential.
- 2) If the substructure stiffness is 5 times larger than isolator and substructure mass is less than 1.2 times of roof mass, the effect of substructure is negligible.
- 3) In case of applying elasto-plastic dampers, response should be estimated by the bearing stiffness averaged between elastic stiffness and plastic stiffness.
- 4) Also for elasto-plastic dampers, vertical response is excited by first stiffness and effects of additional damping on vertical response are not remarkable.



Reflecting the above findings, seismic responses of seismically isolated raised lattice domes and cylindrical shells with supporting substructures can be evaluated with the following process. These process is based on the same approach as the response evaluation methods proposed by authors for raised lattice domes and shells using amplification factors ([13],[14]).

1) Firstly, estimate the roof and substructures as rigid body and model the structure as SDOF model composed with roof mass  $M_R$  and isolator stiffness  $K_{eq}$  as shown in Figure 17, then estimate the natural period  $T_{eq}$  of a seismic isolation system with the following equation (1). For the elasto-plastic damper, assume the elastic natural period  $T_1$  and equivalent natural period  $T_{max}$  by the equivalent stiffness at the point of maximum amplitude, then calculate  $T_{eq}$  as the average of those by the following equation (2).

$$T_{eq} = 2\pi\sqrt{M_R/K_{eq}} \quad T_{eq} = (T_1 + T_{max})/2 \quad (\text{for EP damper}) \quad (1) (2)$$

2) Calculate the total mass  $M_{eq}=M_R+M_S$ , where  $M_S$  is mass of the upper part of the substructures. Then calculate the natural period for substructure  $T_S$  using  $M_{eq}$  and substructure horizontal stiffness  $K_S$ . Also estimate the mass ratio  $R_M = M_{eq}/M_R = (M_R+M_S)/M_R$ . If  $R_M < 1.2$  and  $T_{eq}/T_S > 5.0$ , effects of substructure can be negligible, and roof response can be estimated using SDOF model. If not, estimation by DDOF model is required and detailed procedure is explained in [10].

3) Estimate the maximum acceleration response  $A_{eq}$  for SDOF model with design spectrum. Equivalent natural period  $T_{eq}$  shall be used for estimation. Additional equivalent damping by dampers can be included; however, additional damping effect of elasto-plastic damper should be ignored for vertical response evaluation.

4) Calculate the natural period ratio  $R_T = T_{eq}/T_R$ , where  $T_R$  is the natural period of asymmetric one wave mode of the roof. This value can be roughly estimated by the span and finishing as  $T_R = 0.007L$  (Tatemichi [15]), however, detailed estimation by eigenvalue analysis is recommended.

5) Estimate the maximum acceleration amplification factors in horizontal and vertical directions using the following equations ( $0 \leq \theta < \pi/2$ ).

(Latticed Domes)

$$F_H = \begin{cases} C_H(\theta) & (0 < R_T \leq 5/4 (C_H(\theta))^2) \\ \sqrt{5/4 R_T} & (5/4 (C_H(\theta))^2 < R_T \leq 5/4) \\ 1 & (5/4 < R_T) \end{cases} \quad (3)$$

$$F_V = \begin{cases} 3C_V(\theta) & (0 < R_T \leq 5/32\theta) \\ (\sqrt{5/2\theta R_T} - 1)C_V(\theta) & (5/32\theta < R_T \leq 5/2\theta) \\ 0 & (5/2\theta < R_T) \end{cases} \quad (4)$$

$$\text{Where, } C_H(\theta) = 2.47 \sin^2 \frac{3}{4}\theta - 1.33 \sin \frac{3}{4}\theta + 3.0 \quad C_V(\theta) = 2.47 \sin \frac{3}{4}\theta \cos \frac{3}{4}\theta \quad (5)(6)$$

(Latticed Cylindrical Shells)

$$F_H = \begin{cases} C_H(\theta)/2 & (0 < R_T \leq 1/(C_H(\theta)-1)^2) \\ (\sqrt{1/R_T} + 1)/2 & (1/(C_H(\theta)-1)^2 < R_T \leq 5/4) \\ 1 & (5/4 < R_T) \end{cases} \quad (7)$$

$$F_V = \begin{cases} 3C_V(\theta) & (0 < R_T \leq 5/32\theta) \\ (\sqrt{5/2\theta R_T} - 1)C_V(\theta) & (5/32\theta < R_T \leq 5/2\theta) \\ 0 & (5/2\theta < R_T) \end{cases} \quad (8)$$

Where,  $C_H(\theta) = 2.47 \sin^2 \frac{3}{4}\theta - 1.33 \sin \frac{3}{4}\theta + 3.0$      $C_V(\theta) = 1.77 \sin \frac{3}{4}\theta \cos \frac{3}{4}\theta$     (9,10)

5) Calculate the maximum acceleration distributions using the following equations with  $A_{eq}$ ,  $F_H$ ,  $F_V$  and horizontal coordinates  $x$ ,  $y$ . For high-rise roofs, spherical coordinates should be used referring [14].

(Latticed Domes)

Horizontal acceleration:

$$A_H(x, y) = A_{eq} \left\{ 1 + (F_H - 1) \cos \frac{\pi \sqrt{x^2 + y^2}}{L} \right\}$$

Vertical acceleration

$$A_V(x, y) = A_{eq} F_V \frac{x}{\sqrt{x^2 + y^2}} \sin \frac{2\pi \sqrt{x^2 + y^2}}{L} \quad (11,12)$$

(Latticed Cylindrical Shells)

Horizontal acceleration:

$$A_H(x, y) = A_{eq} \left\{ 1 + (F_H - 1) \cos \pi \left( \frac{x}{L_x} \right) \cos \pi \left( \frac{y}{L_y} \right) \right\}$$

Vertical acceleration:

$$A_V(x, y) = A_{eq} F_V \sin \pi \left( \frac{2x}{L_x} \right) \cos \pi \left( \frac{y}{L_y} \right) \quad (13,14)$$

6) Maximum deformations and member forces are estimated using static analyses using equivalent loads derived from multiplying unit mass with acceleration distributions given by equations (11)-(14).

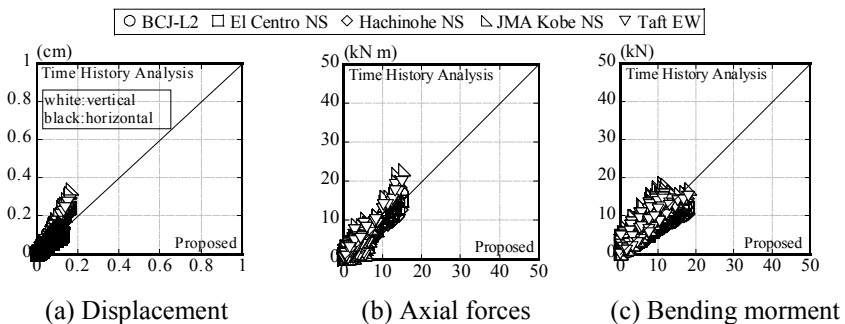


Figure 19: Validity of proposed evaluation method

Obtained results by the method described in above 1)-6) process for the sample model are compared with the results of time-history analyses in Figure 19. They show general agreements, and these effects can be roughly estimated with the proposed method.

### 3.2.2. General Characteristics and Response evaluation for roofs with damper-added substructures

For roofs supported by damper-added substructure (R-3 types), similar findings as isolated roofs are obtained as follows.

- 1) Maximum response acceleration distributions of the roofs supported by damper-added substructure are generally evaluated by SDOF model with equivalent stiffness and equivalent damping produced by substructures and dampers, and then multiplied by amplification factors.
- 2) As same as isolated roofs, effect of additional damping by elasto-plastic dampers on the vertical response is not remarkable.

The response evaluation process is almost the same as 1)-6) process in previous section; however in the process 1) and 3), equivalent stiffness and damping of substructure with dampers should be used for estimating  $T_{eq}$  and  $A_{eq}$ , instead of isolator.

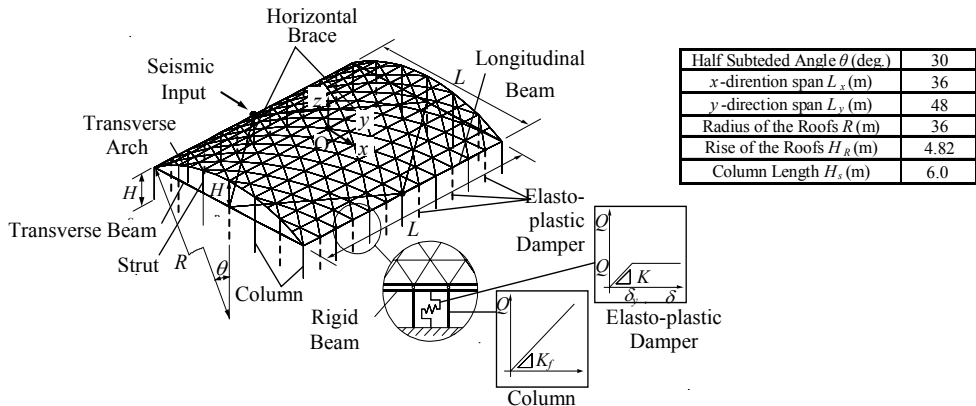


Figure 20: Cylindrical shell with damper-added substructures

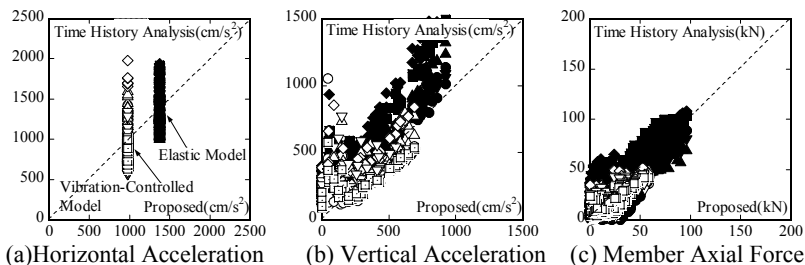


Figure 21: Validity of proposed evaluation method

Obtained results on the model as shown in Figure 20 are compared with the results of time-history analysis in Figure 21. In the figures, black marks are response with ordinary elastic substructures, and white marks are substructures with elasto-plastic dampers. It is observed that the response reduction ratios are around 60%. Also the proposed evaluation methods seem to be generally valid, although there are some errors.

#### 4. Conclusive Remarks

This paper overview the recent varieties of architectural expressions using seismic response controll technologies in buildings and metal spatial structures by referring recently realized projects, and their characteristics and response evaluation methods are summerized.

#### References

- [1] Takeuchi T., Xue S.D., Kato S., Ogawa T., Fujimoto M., Nakazawa S.: Recent Development in Passive Control Technologies for Metal Spatial Structures, *proceedings of IASS 2005.*, 398-399.
- [2] Tanno Y., Kozuka H., Nakai M., Ohata M.: Prada boutique Aoyamaa, Japan, *Structural Engineering International, IABSE*, 28-31., 1/2005
- [3] Takeuchi T., Oshima Y., Nakata Y., Saeki E.: Seismic Response of Additional Isolated Structure on Existing Building, *A.I.J. Journal of technology and Design*, Vol.13, No.25; 153-158., 2007 (in Japanese)
- [4] Nakamura Y., Saruta M., Nakanishi T., Wada A., Takeuchi T., Hikone S., Takahashi T.: Development of the Core-suspended Isolation System, *Proceedings of 14<sup>th</sup> WCEE (Beijing)*, 2008
- [5] Takeuchi T., Kaneda K., Iwata M., Wada A., Saitoh M.: Vibration-Control Devices For Tension Structures Using Visco-elastic or Viscous Material with Spring, *Proceedings of IASS 2001 (Nagoya)*, TP121.
- [6] Hitomi Y., Osawa K., Nakagawa M Saito M.: Structural Design of Yamaguchi Dome, *Proceedings of IASS 2001 (Nagoya)*, TP155.
- [7] Hosozawa O., Mizutani T.: Structural Design of Simokita Dome, *Proceedings of IASS 2005 (Bucharest)*, 707-714.
- [8] Uchukoshi M., Kato. S., Nakazawa S., Mukaiyama T.: How to Realize a Super Large Dome under Severest Earthquake? A Dome with Seismic Isolation System, *Proceedings of IASS 2001(Nagoya)*, TP115.
- [9] Xue S.D., Zhuang P., Li B.S.: Seismic Isolation of Lattice Shells using a New Type of SMA-Rubber Bearings, *Proceedings of IASS 2005 (Bucharest)*,353-358.
- [10] Takamatsu K., Takeuchi T., Kumagai T., Ogawa T.: Response Evaluation of Seismically Isolated Lattice Domes using Amplification Factors, *Proceedings of IASS 2009(Valencia)*
- [11] Kumagai T., Takeuchi T., Ogawa T., Nakama A., Sato E.: Response Evaluation of Lattice Domes with Substructures using Response Amplification Factors, *Proceedings of IASS 2005(Bucharest)*, 391-398.
- [12] Yamada S., Matsumoto Y., Saito E.: Response Behavior of Single Layer Latticed Cylindrical Shell Structures with Hysteresis Dampers in the Substructure, *Proceedings of IASS 2005(Beijing)*, 400-401.
- [13] Takeuchi T., Kumagai T., Ogawa T.: Seismic Response Evaluation of Lattice Shell Roofs with Substructures, *Journal of IASS*, Vol.48, No.3, 2007, 197-210.
- [14] Takeuchi T., Kumagai T., Okayama S., Ogawa T.:Seismic response Evaluation of High-rise Lattice Domes with Substructures using Amplification Factors, *Proceedings of IASS 2008(Acapulco)* , 269-270.
- [15] Tatemichi I.: A study on the Damping of Vibrations in Space Structures According to Collected Vibration Measurement Data, *AIJ Journal of Technology and Design*, No.20, 87-92, 2004 (in Japanese)